



Particle acceleration in explosive reconnection

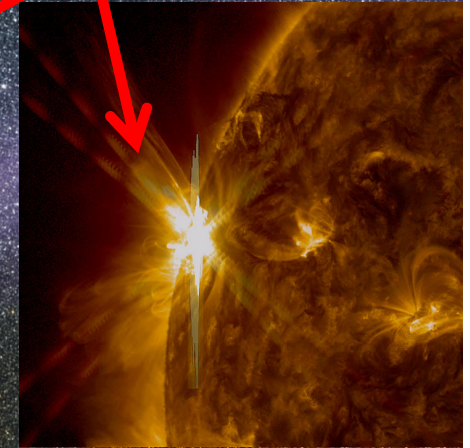
CHARM@ROB
March 10th 2017

Bart Ripperda, Rony Keppens, Oliver Porth
Centre for mathematical Plasma-Astrophysics
Department of Mathematics, KU Leuven



Astrophysical outflows

Stars and black holes can launch flares from their corona



These outflows are a source of extremely energetic particles guided by magnetic fields

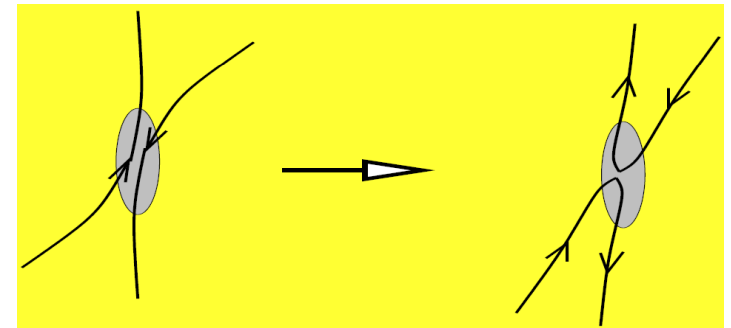
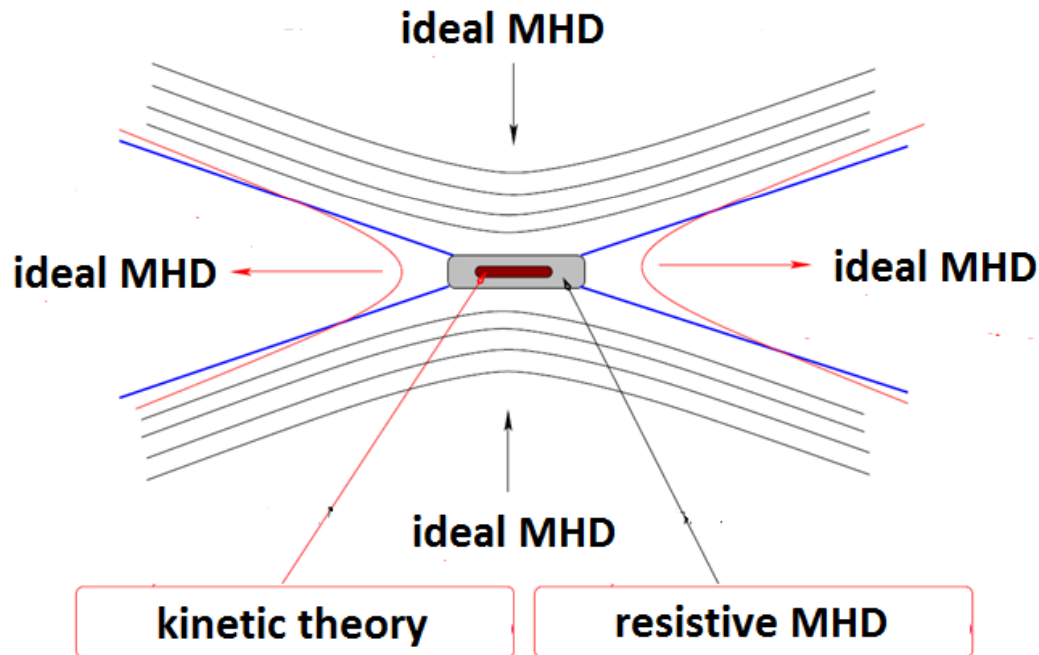
Accelerated, charged particles (electrons, positrons, protons) emit observable radiation

Reconnection is a possible generic mechanism behind flares and particle acceleration

[Images from NASA/JPL-Caltech,
<http://sdo.gsfc.nasa.gov/>]

Magnetic reconnection

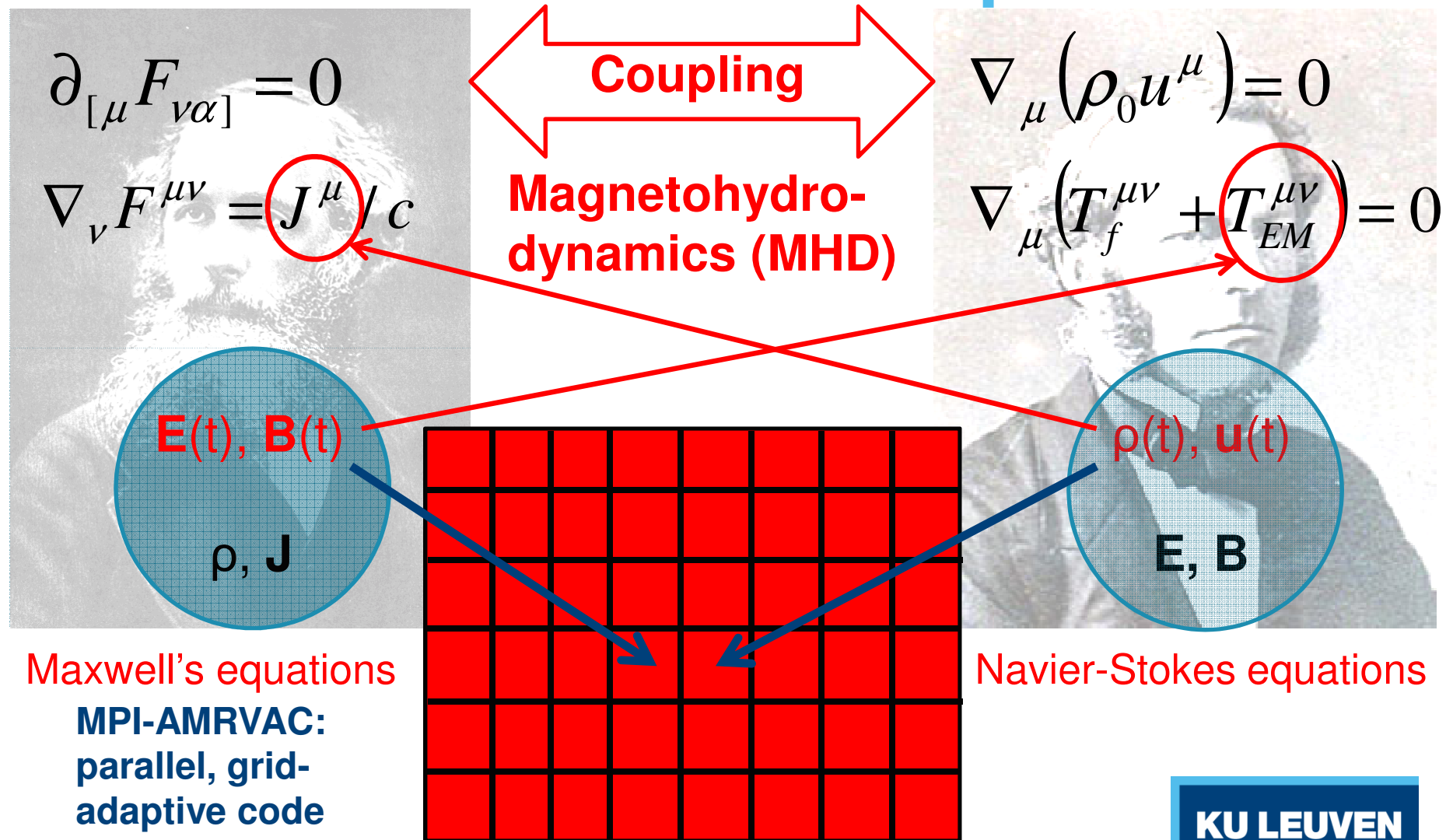
- Current dissipation through resistivity → Magnetic field reconnection
- Multi-scale character: fluid theory (MHD) → kinetic theory (particles)
- Excess magnetic energy → Particle acceleration in jets and flares



[Images obtained from Keppens, Coupling Multiple Scales, NBIA school 2013]

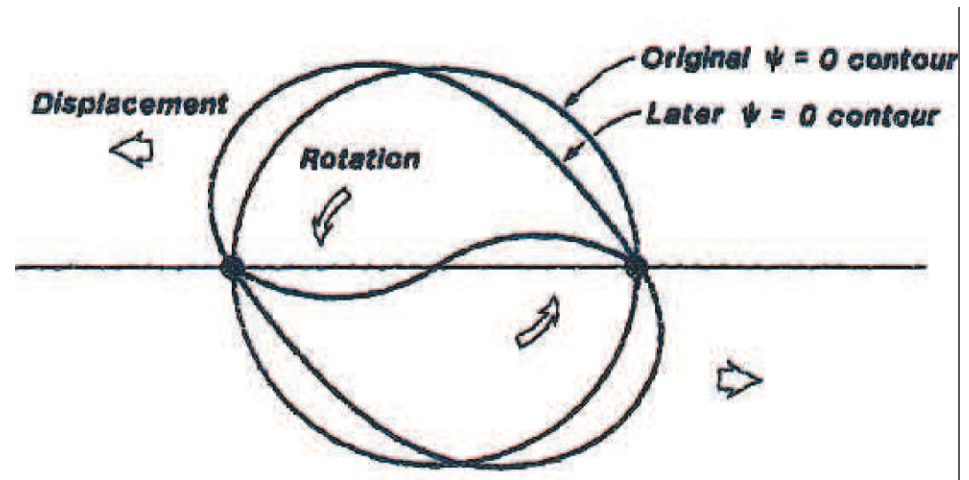
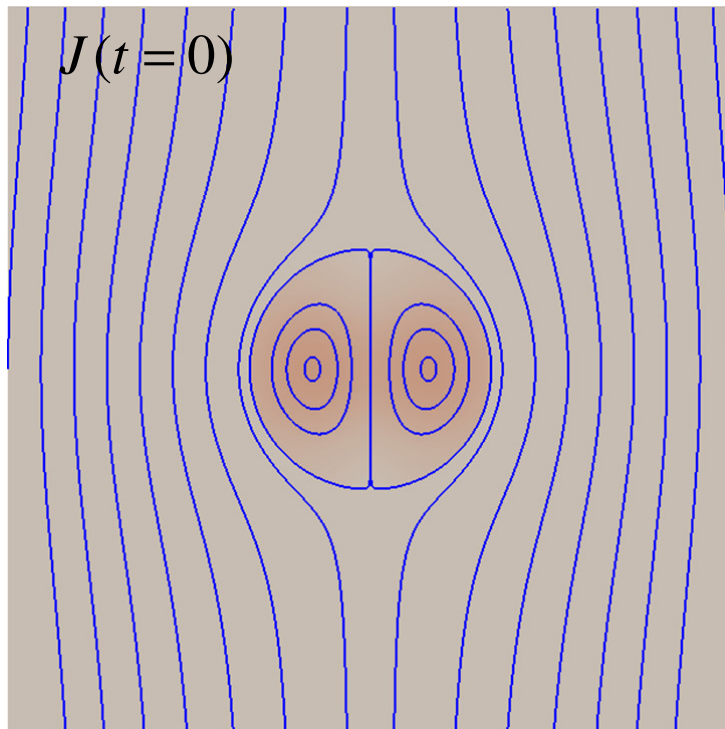
How do we model phenomena at such different scales?

The continuum picture



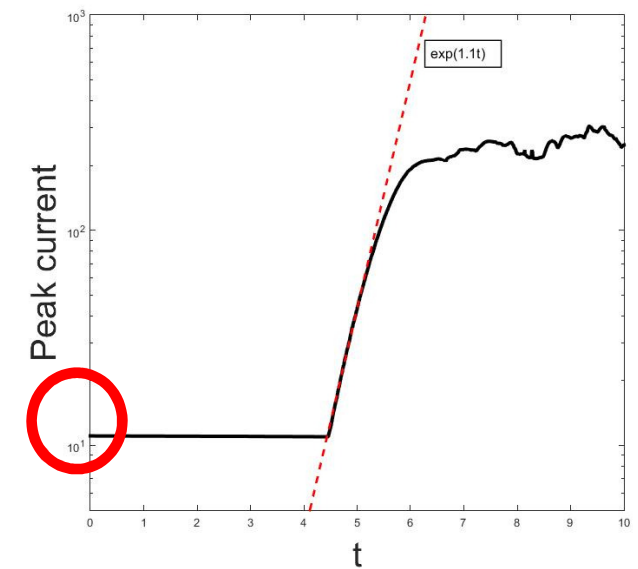
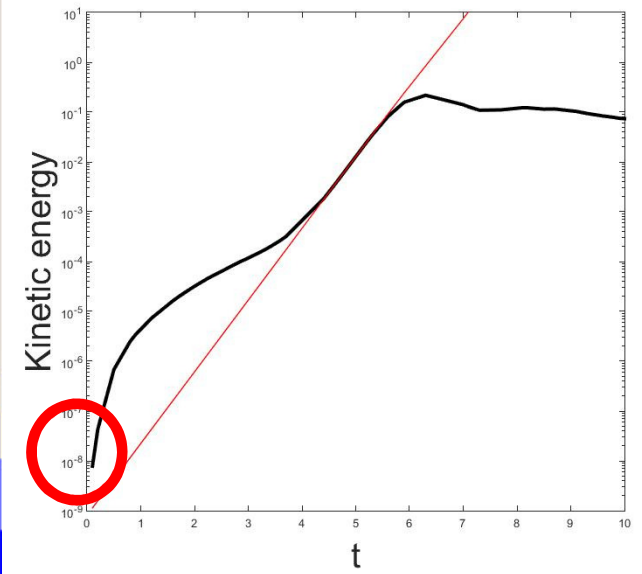
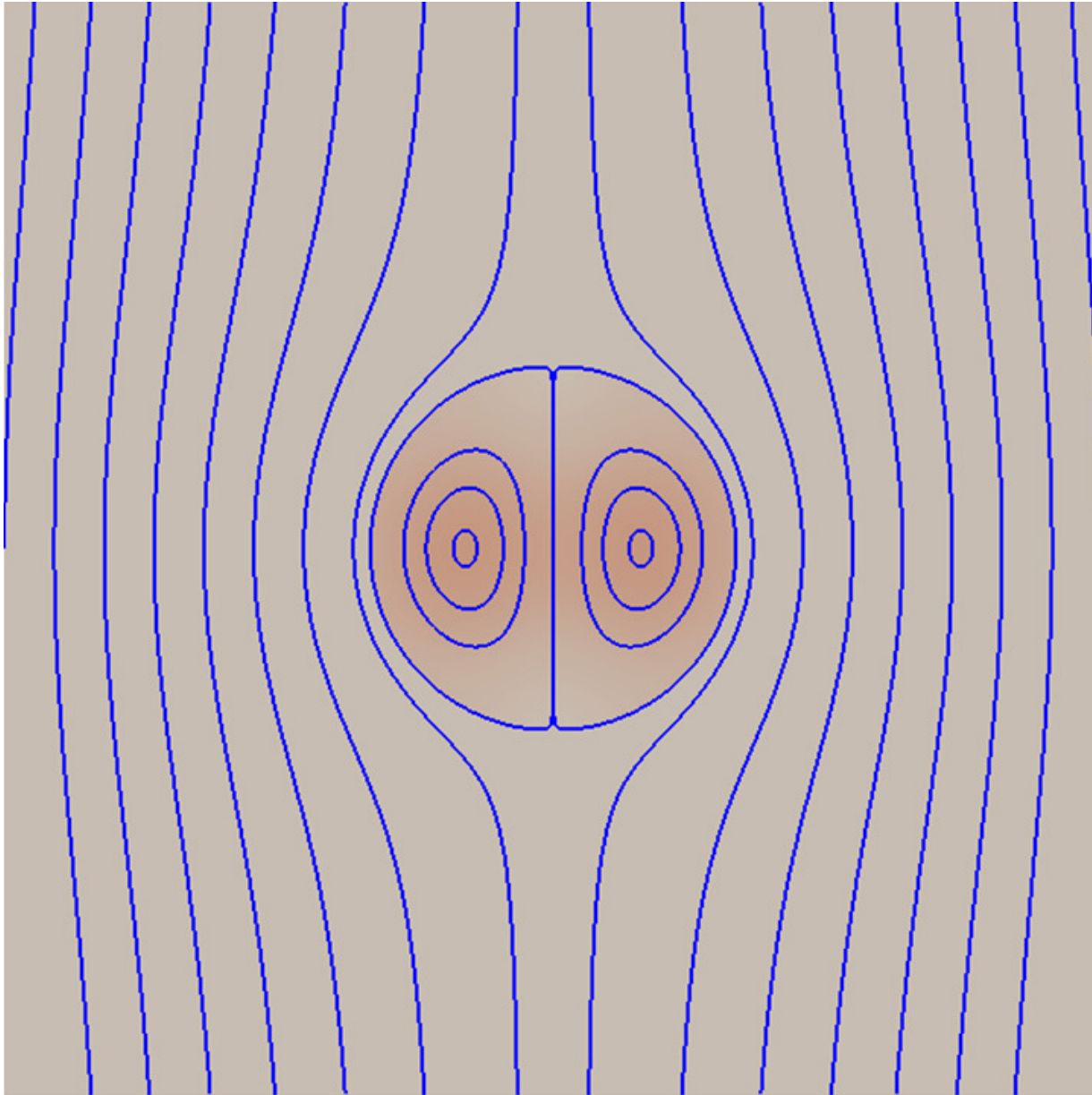
Initiating reconnection in MHD

- 2D force-free ideal MHD equilibrium: two repelling currents
- → Tilt instability and resistivity → Reconnection → Particle acceleration

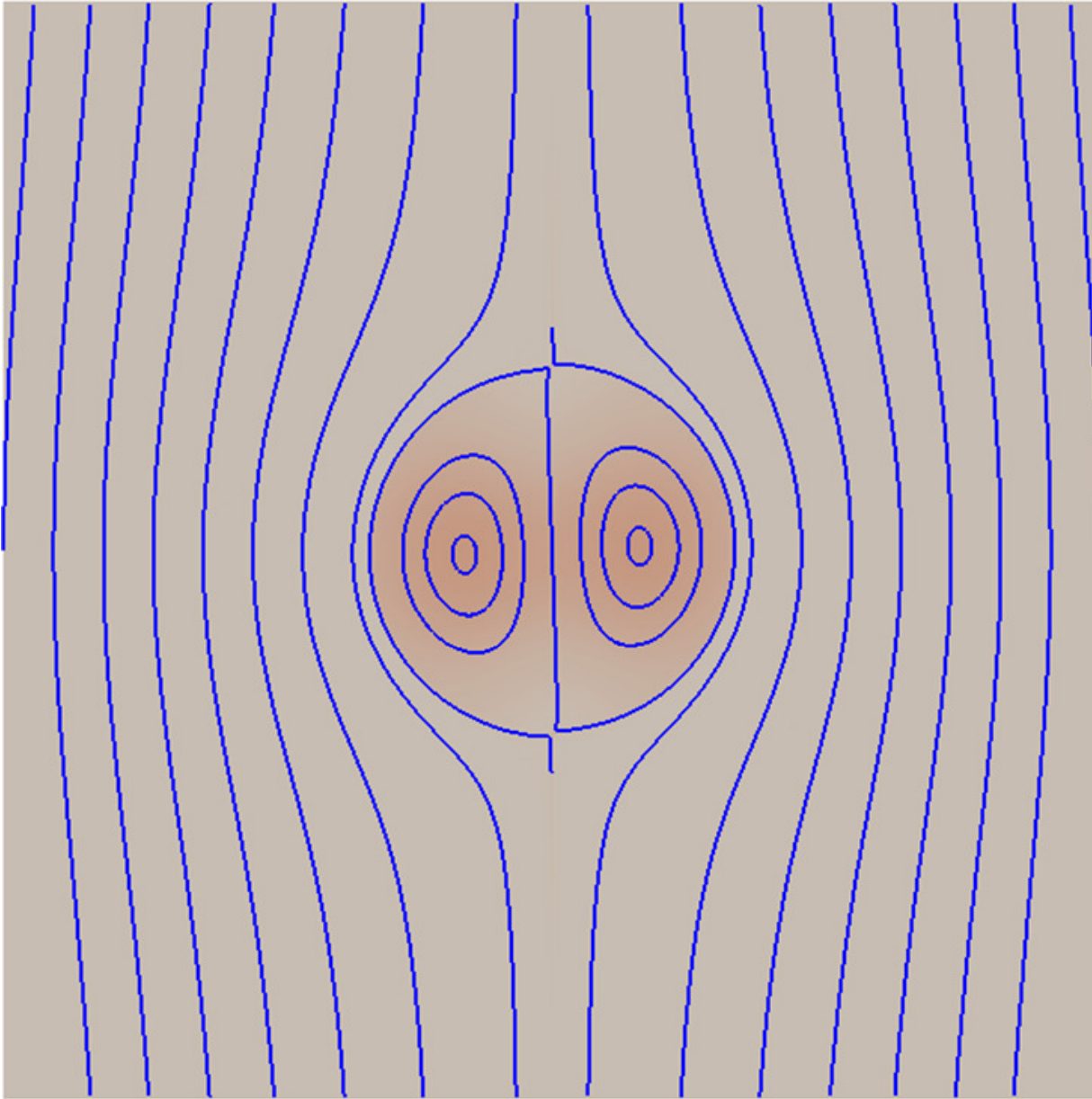


Sketch taken from Lankalapalli et al, JCP 225 (2007)

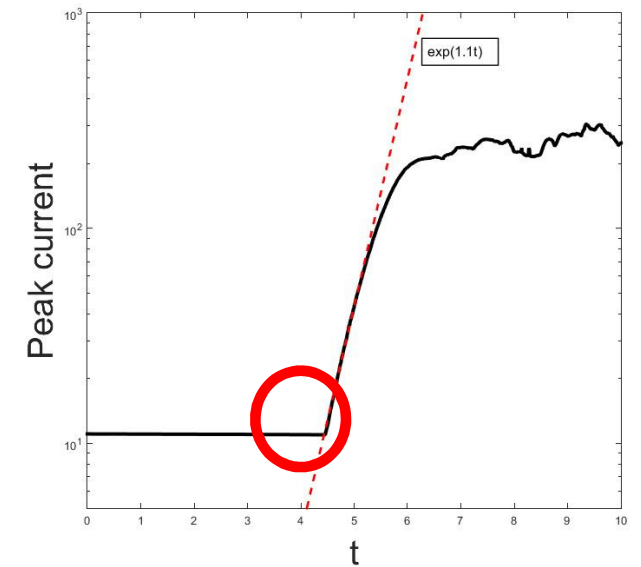
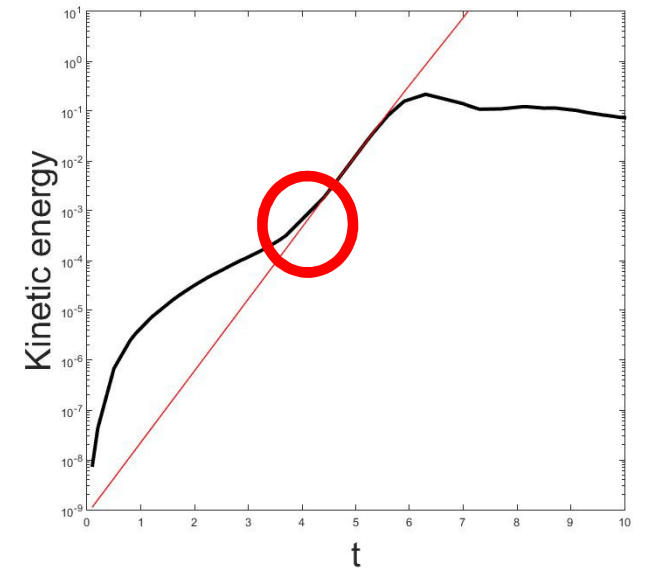
- 3D effects → Kink (in)stability

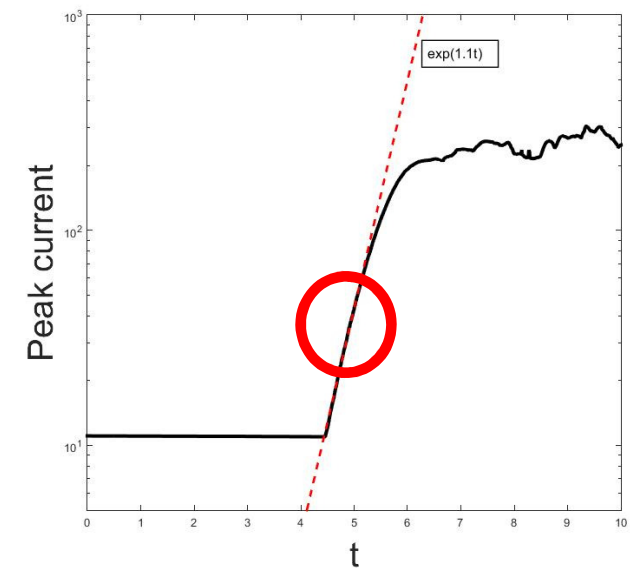
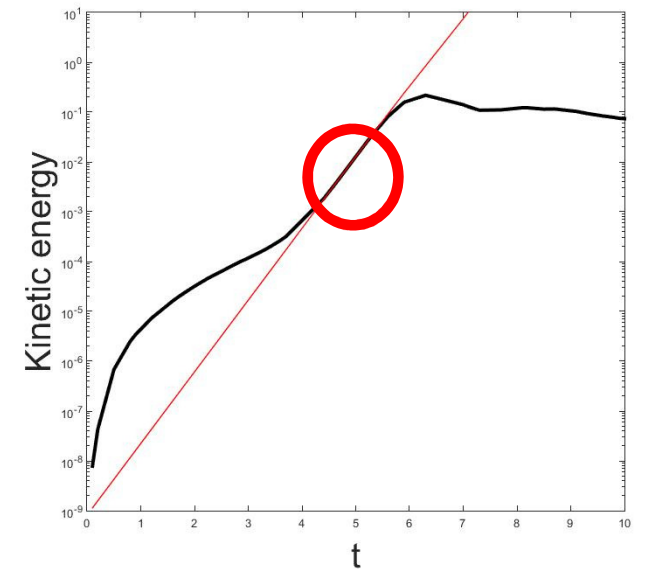
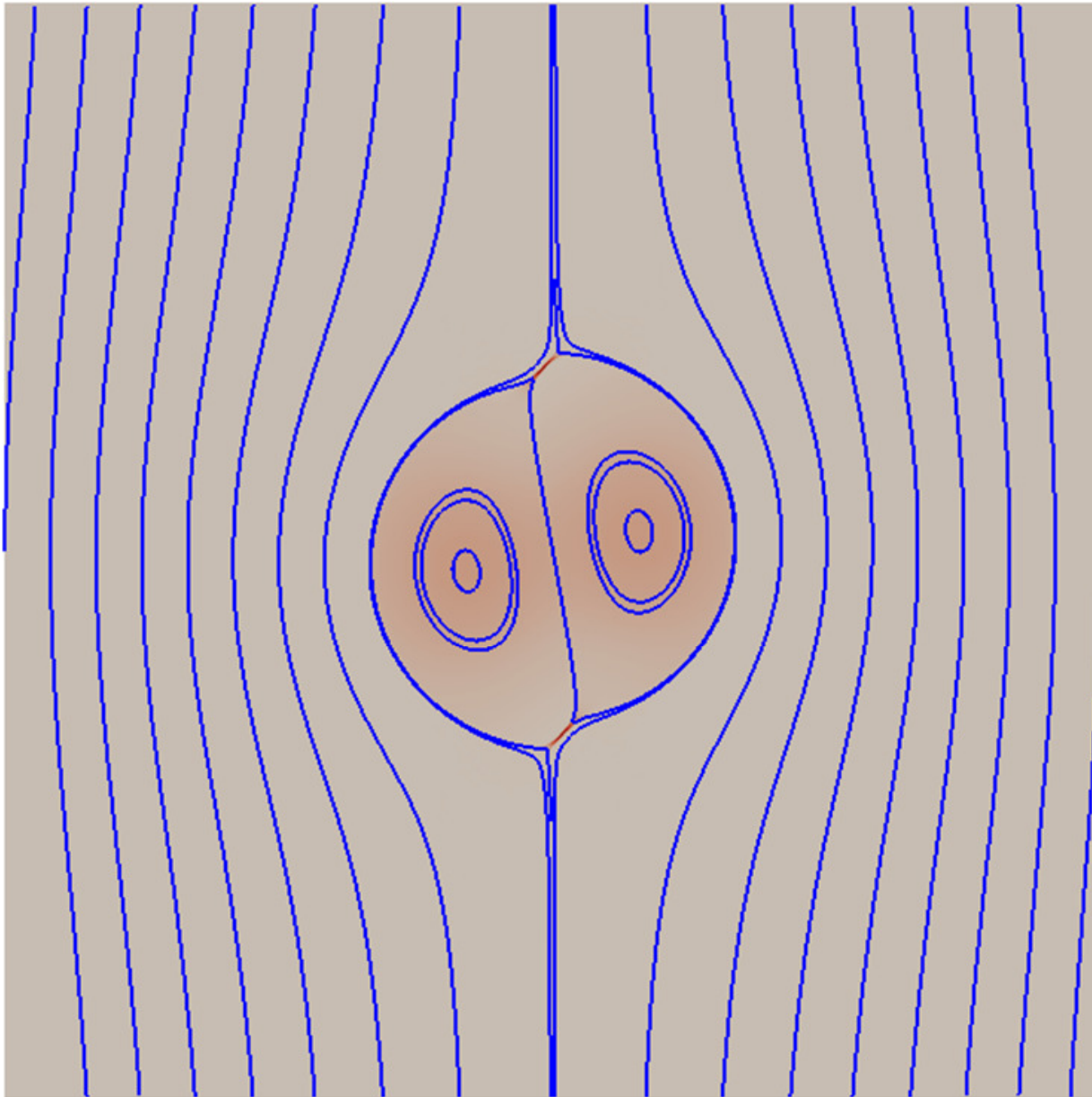


$J(t=0)$

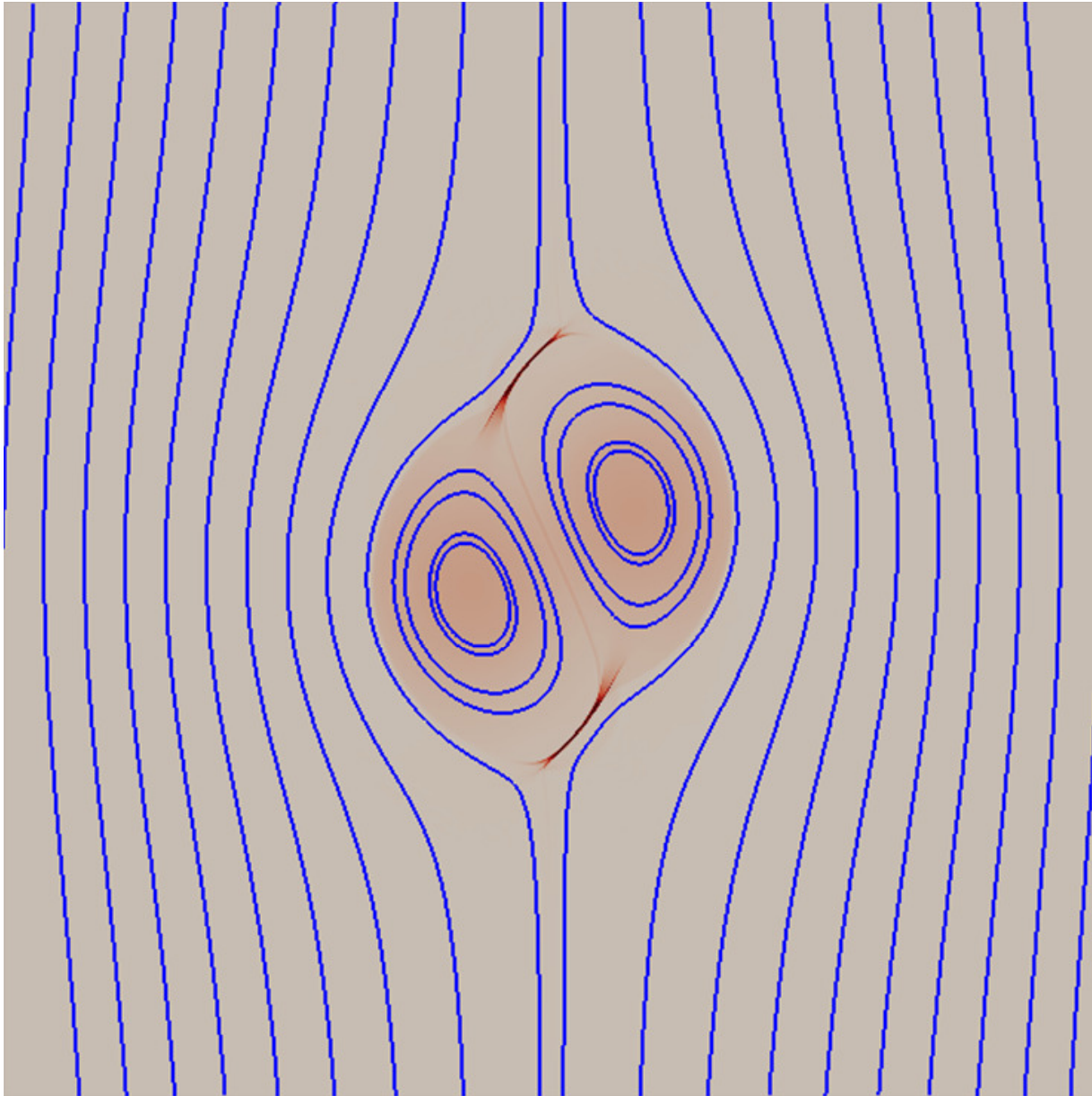


$J(t=4)$

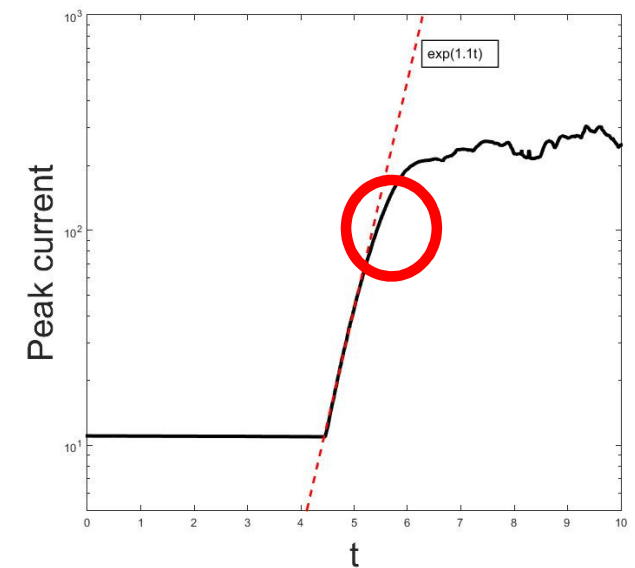
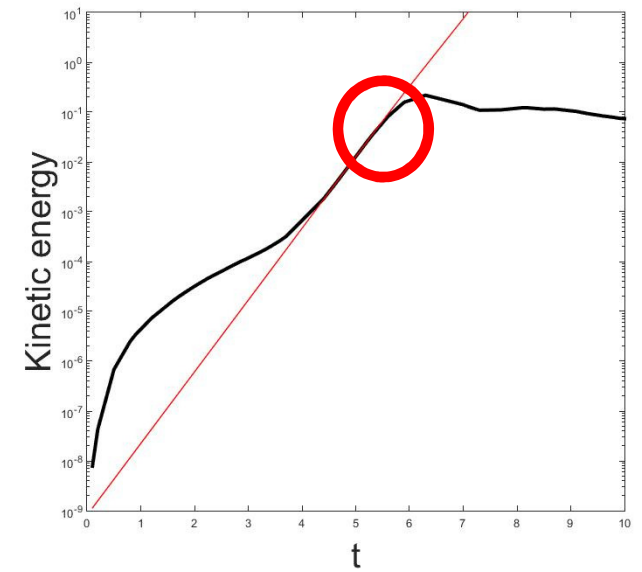


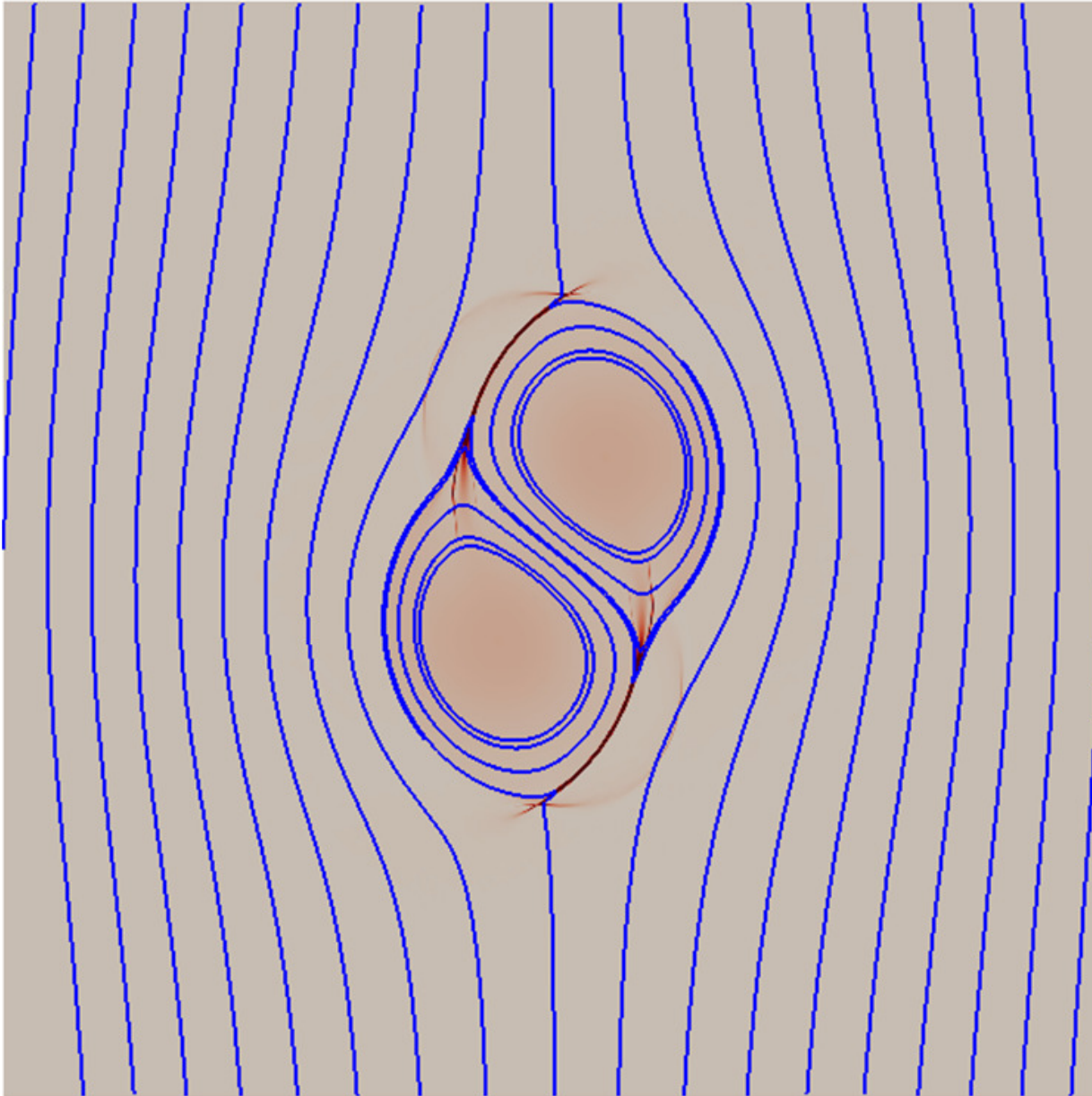


$J(t=5)$

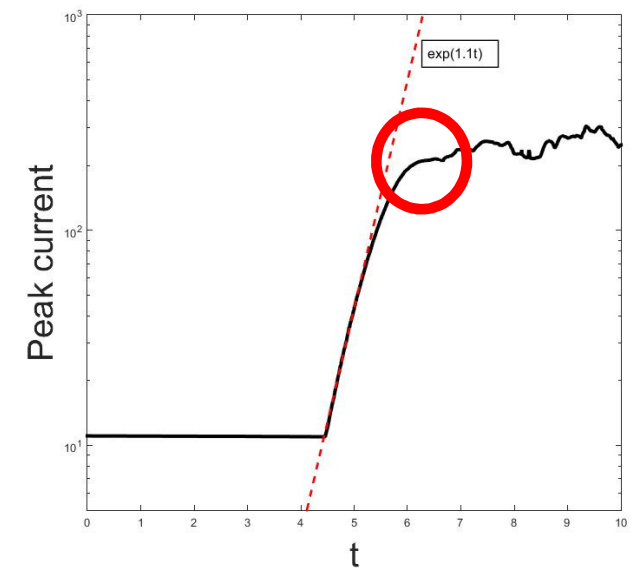
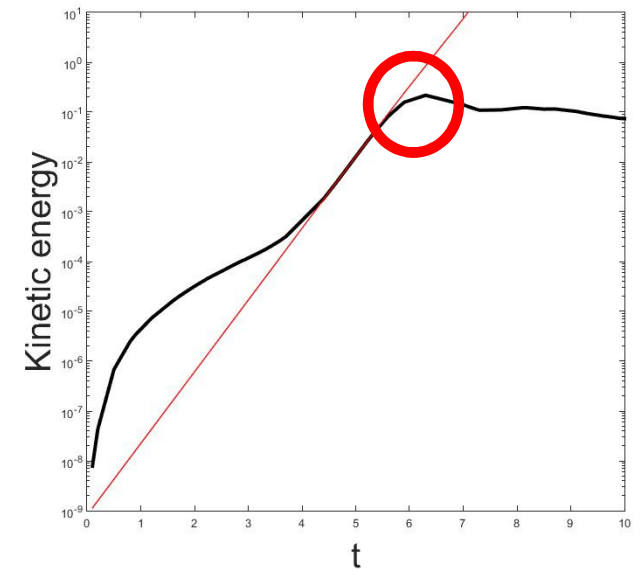


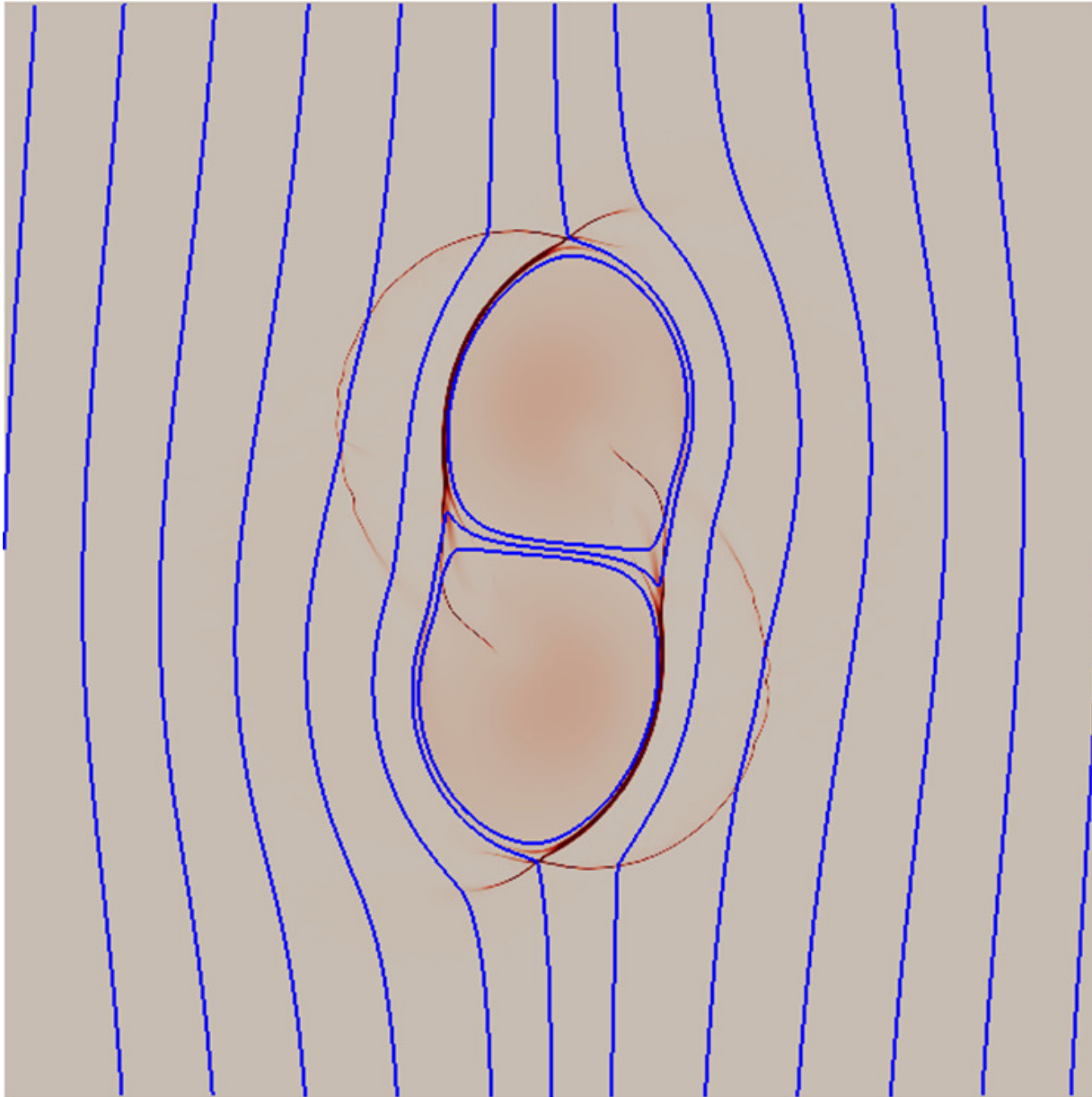
$J(t=5.5)$



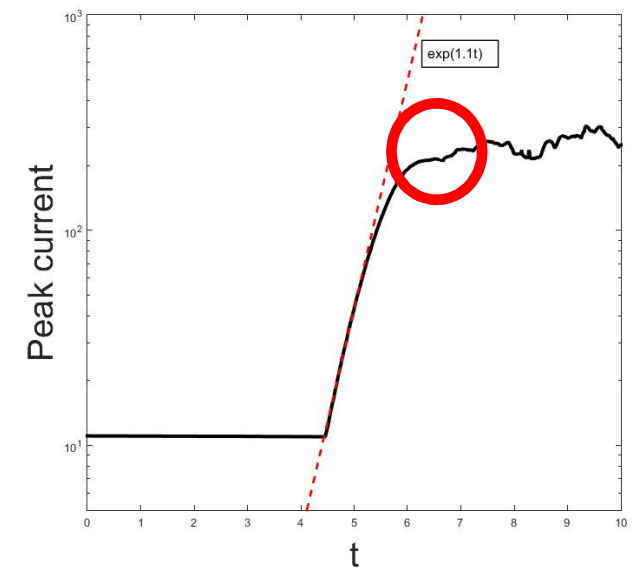
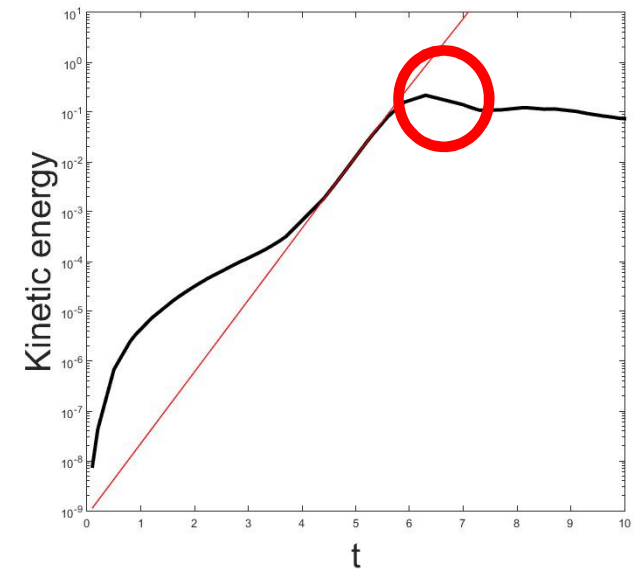


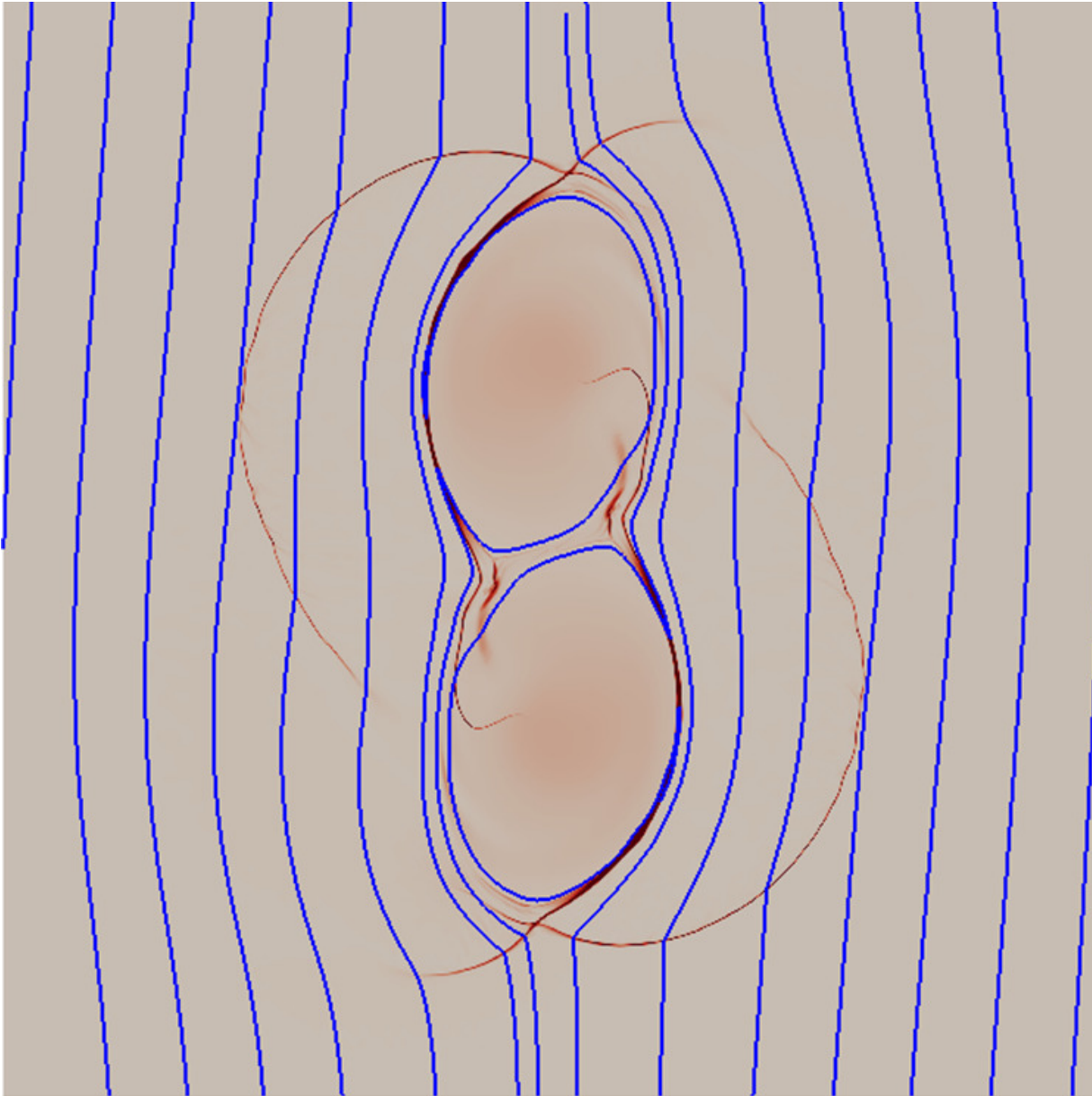
$J(t=6)$



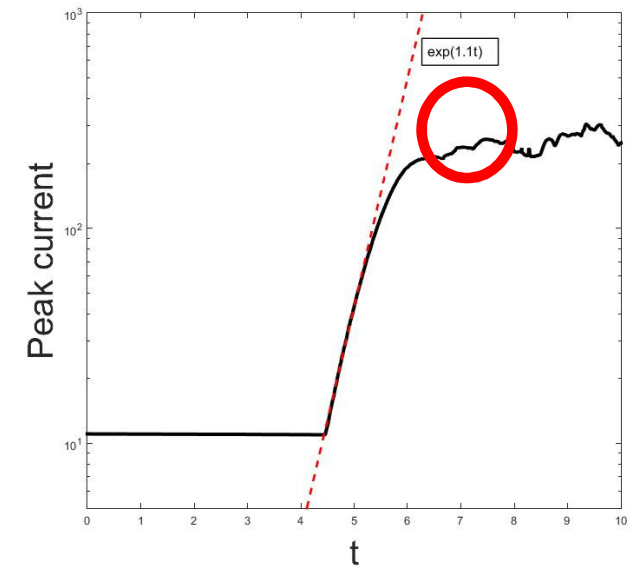
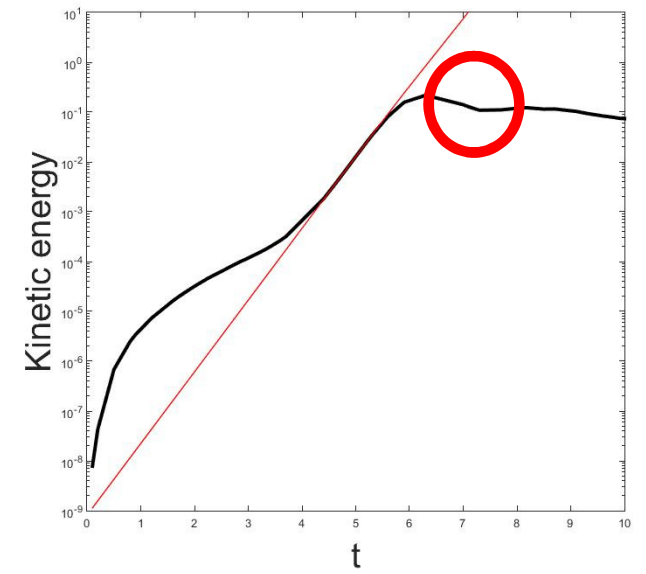


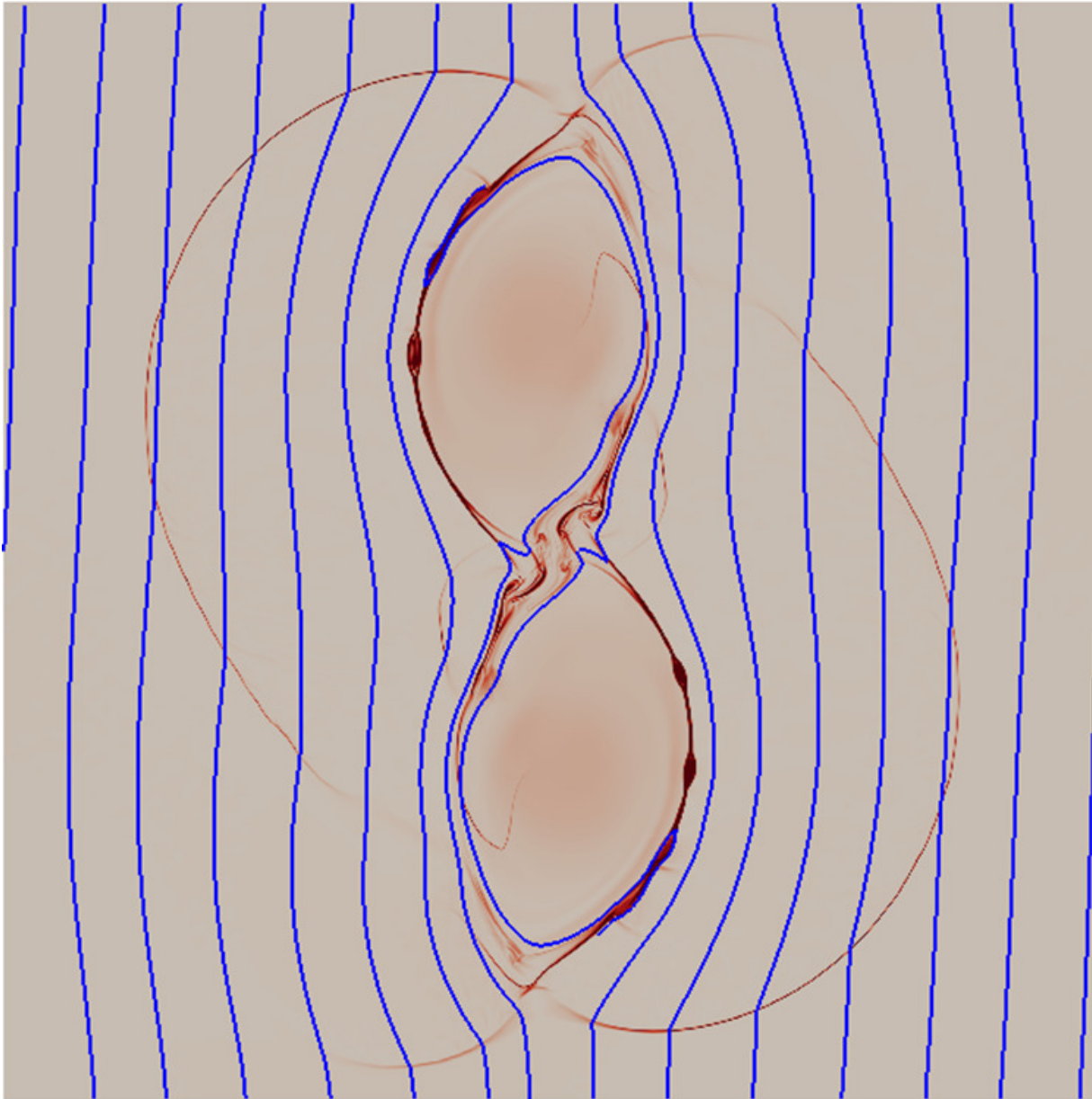
$J(t=6.5)$



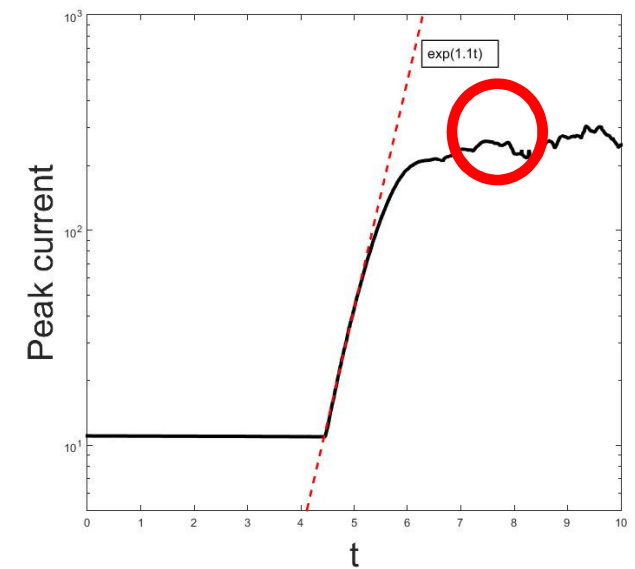
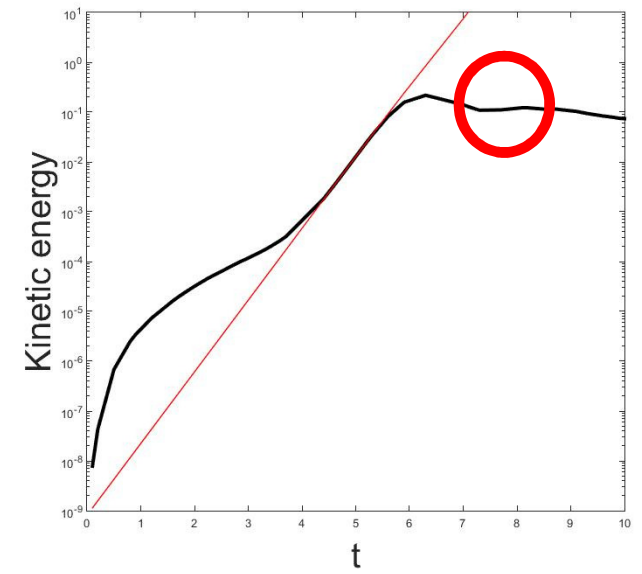


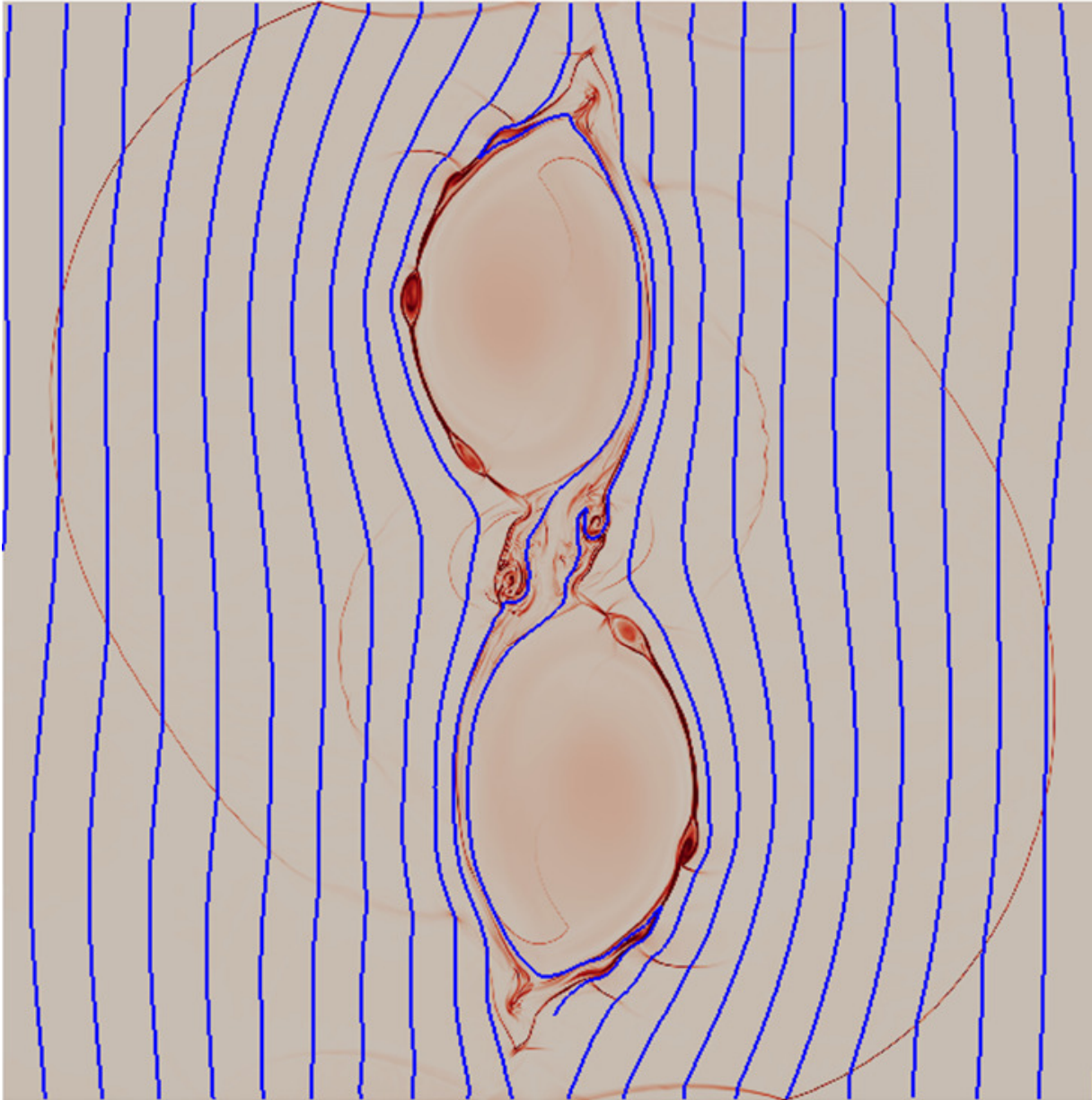
$J(t=7)$



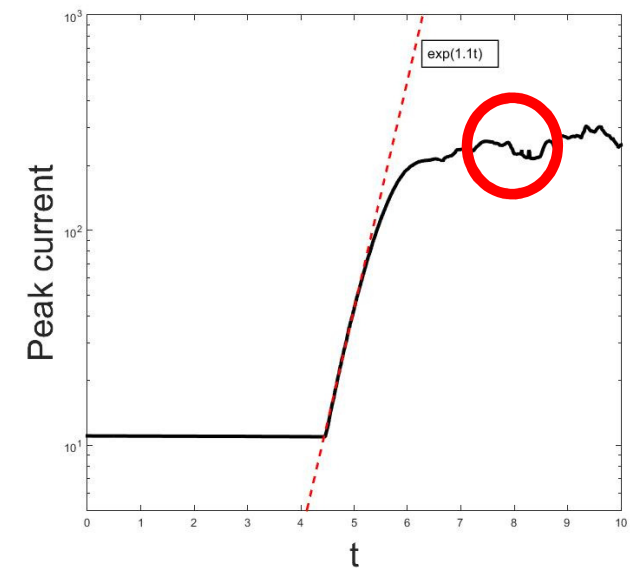
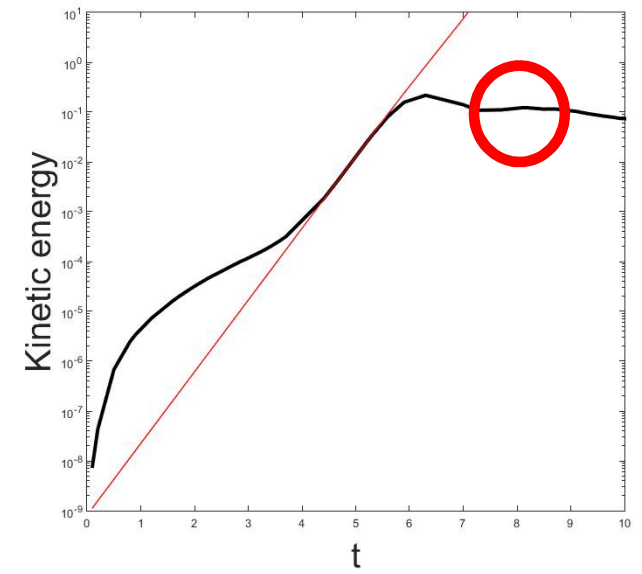


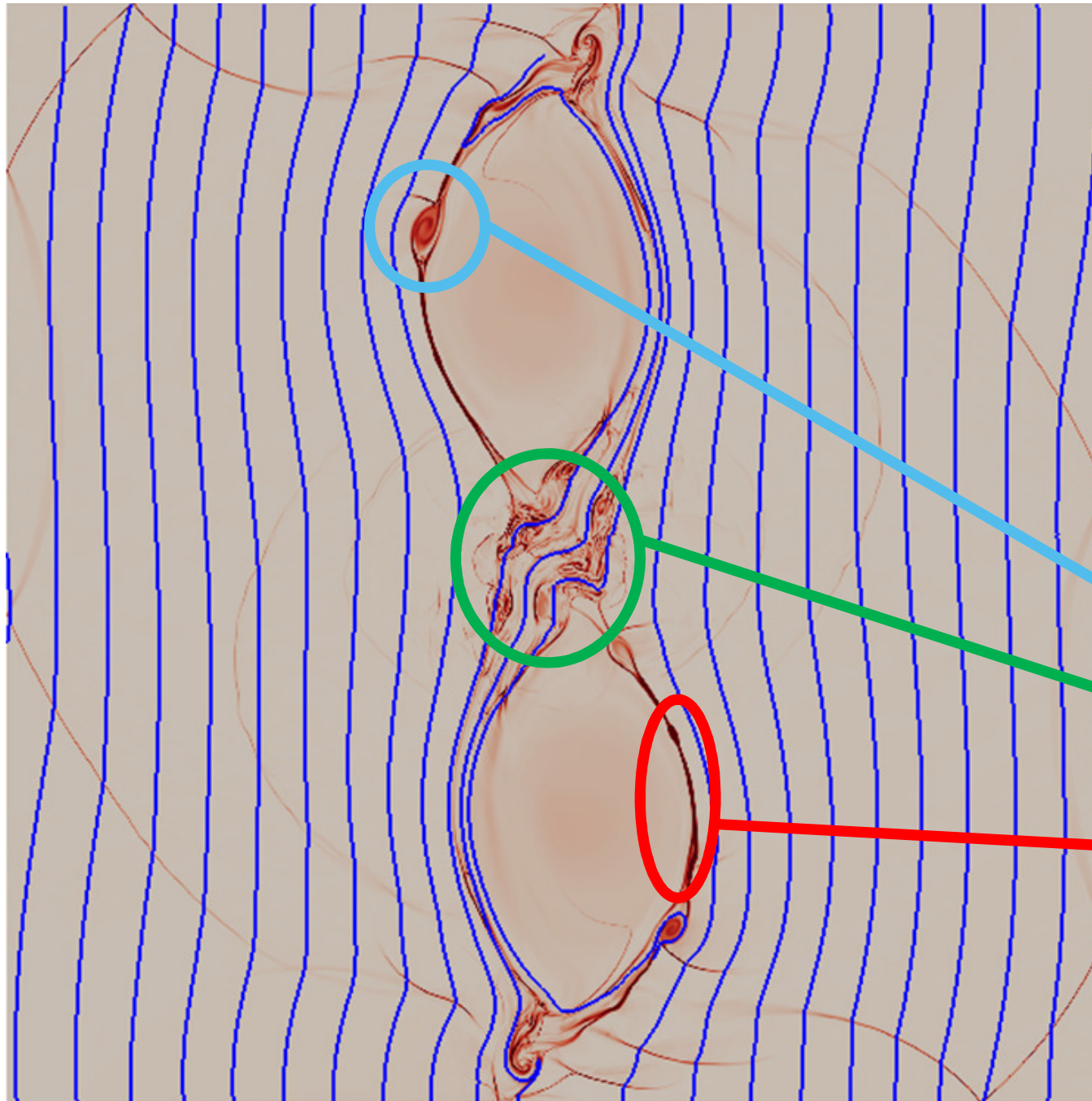
$J(t=7.5)$





$J(t=8)$





$J(t=8.5)$

- $\beta = 0.04$
- Similar behaviour for larger β , but delayed
- Secondary islands
- Reconnection
- Fast forming current sheets
- Particle acceleration

KU LEUVEN

... and now with particles

$$\partial_{[\mu} F_{\nu\alpha]} = 0$$

$$\nabla_\nu F^{\mu\nu} = J^\mu / c$$

$E(t), B(t)$

ρ, \mathbf{J}

Maxwell's equations

Still obtained from
fluid equations

Particles follow fields

Relativistic test particles
in MHD

$$\frac{dx^\mu}{d\tau} = v^\mu$$

$$\frac{d^2 x^\mu}{d\tau^2} = F^{\mu\nu} \frac{dx^\nu}{d\tau}$$

$x(t), v(t)$

E, B

Relativistic equations of
motion

KU LEUVEN

Which particles are we interested in?

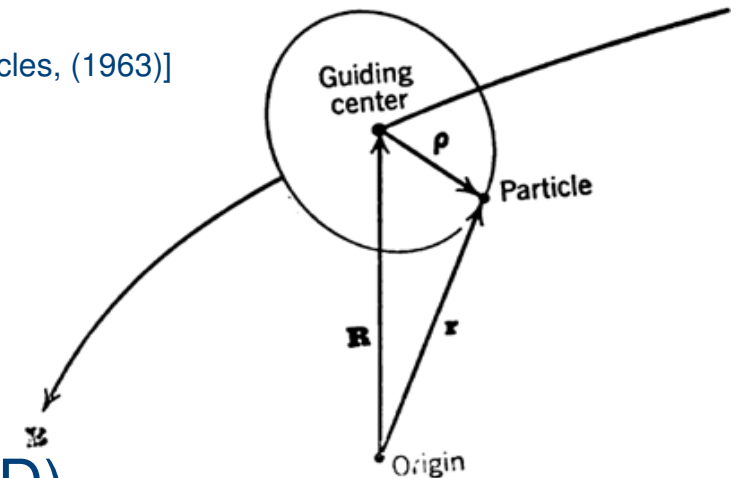
Two populations of particles are considered

- **Thermal plasma** described by a Maxwellian distribution.
 - MHD is a satisfactory description.
 - The largest scales of the system are studied.
- **Non-thermal plasma**, with highly accelerated particles and a power law distribution.
 - Relativistic particle equations of motion are required.
 - The microscopic scales of the system are studied.

So for now..

- Fluid models: Good for global dynamics and energetics
But.. fail to tell you anything about kinetic processes
 - Kinetic models: The opposite...
- Assume fluid models are largely correct and see how test particles behave in the global flow:
- Acceleration mechanisms
 - Particle orbits and drifts
 - Non-thermal distributions
 - (Radiation)

Assumptions



- **Low** $\beta = 2p / B^2$ (e.g. solar flares)
- **Low** $\sigma \rightarrow v_A \ll c$ (non-relativistic MHD)
- $\partial t_{particle} \ll \partial t_{MHD} \rightarrow$ relativistic particles in MHD evolutions
- MHD \rightarrow magnetic field, velocity and density
- Test particles \rightarrow collisions and effect on fields ignored
- **Gyroradius** $R_c = \frac{\gamma m v_{\perp}}{Bq} \sim 10^{-1} m - 10^{-3} m \ll \text{grid cell size} \sim 10^3 m$
 \rightarrow Replace particles position by its **guiding centre**

Particle	B [T]	T [K]	n [m^{-3}]	$v_{thermal}$ [m/s]	β [-]	R_c [m]	γ [-]
Electron	0.03 T	10^6 K	$10^{16} m^{-3}$	$5.5 \times 10^7 ms^{-1}$	0.0004	$10^{-3} m$	1.0002
Proton	0.03 T	10^6 K	$10^{16} m^{-3}$	$1.3 \times 10^6 ms^{-1}$	0.0004	$4.4 \times 10^{-2} m$	1.0000

[Goedbloed & Poedts, Principles of Magnetohydrodynamics, (2004)]

Which regions are interesting?

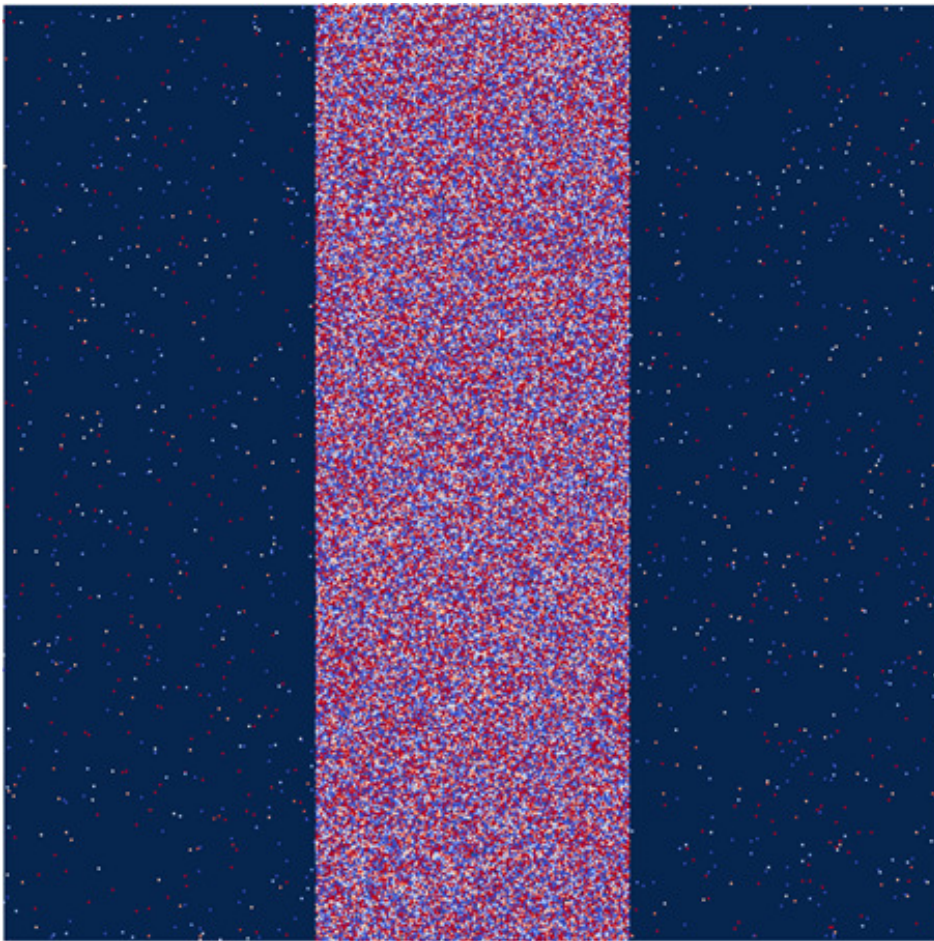
Topological measure
of reconnection

[Lapenta et al., Nature, 2015]

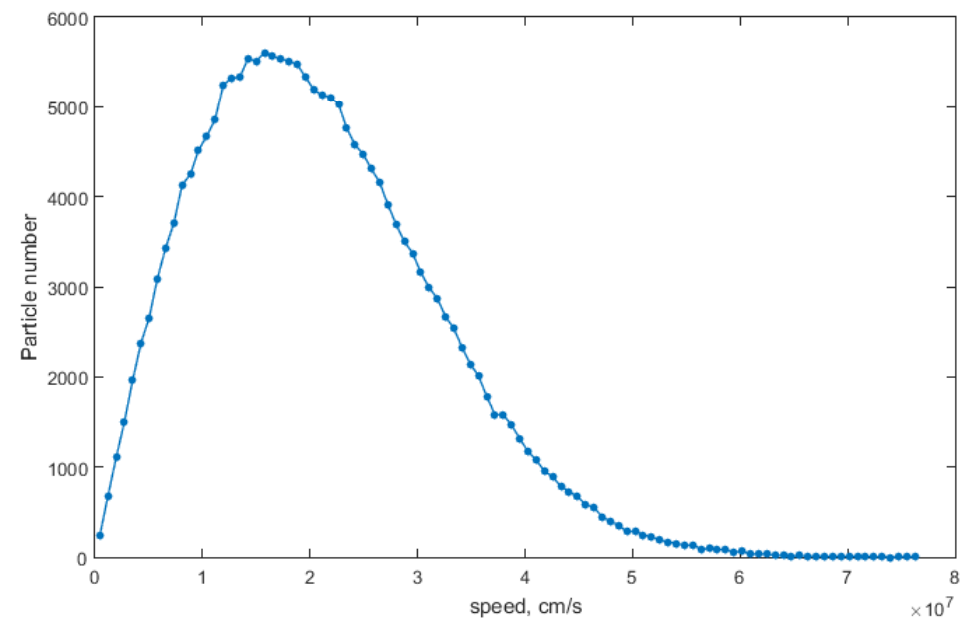
$$\mathbf{B} \times (\nabla \times (E_{\parallel} / B)) / B \neq 0$$

Test particles initialisation

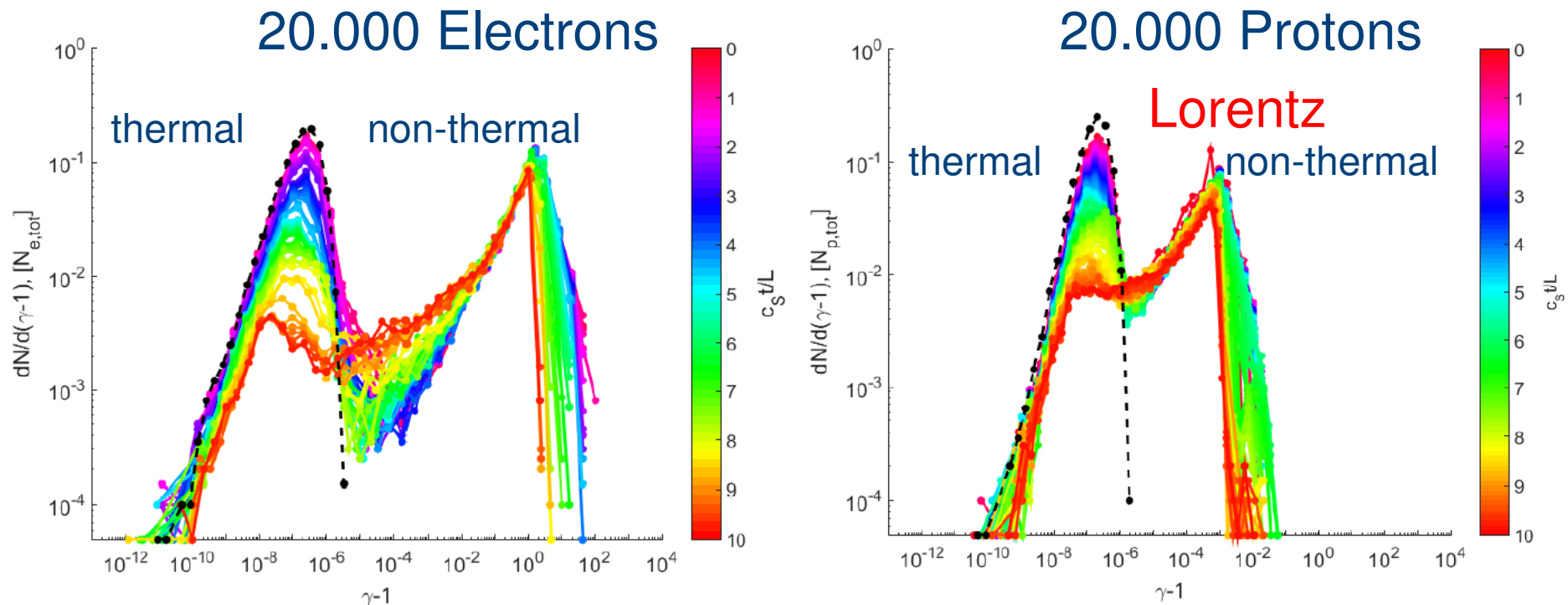
Particles coloured by parallel velocity



- 20.000 Maxwellian electrons/protons
- Randomly and uniformly initialised
- 99% in area current channels



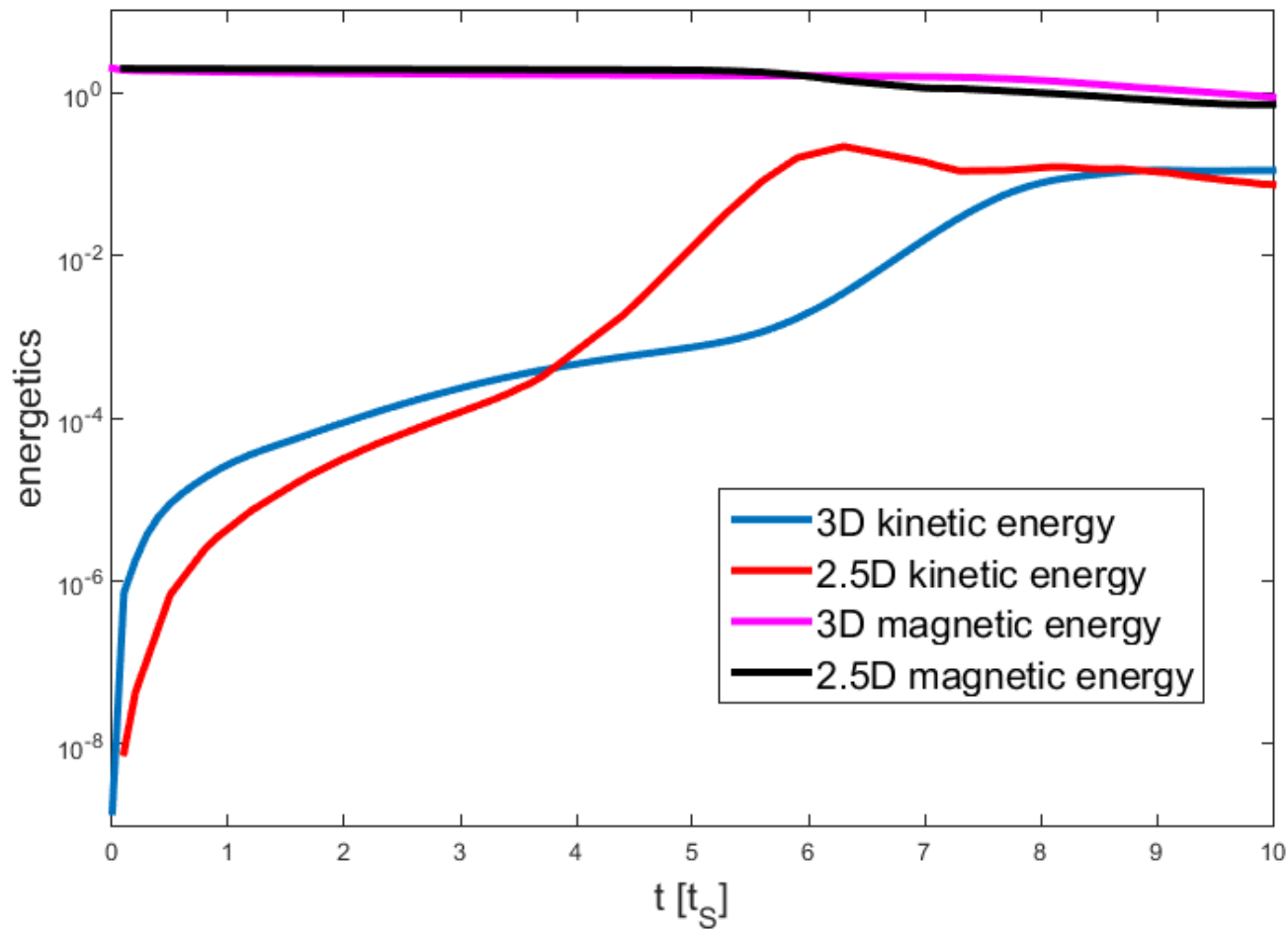
2.5D results: Energy distribution



- Particle distribution develops high energy tail
- Thermal bath is applied in periodic direction
- Guiding centre approximation valid

3D MHD effects

- Magnetic tension delays linear growth phase of instability



3D MHD effects

- Additional kink

z

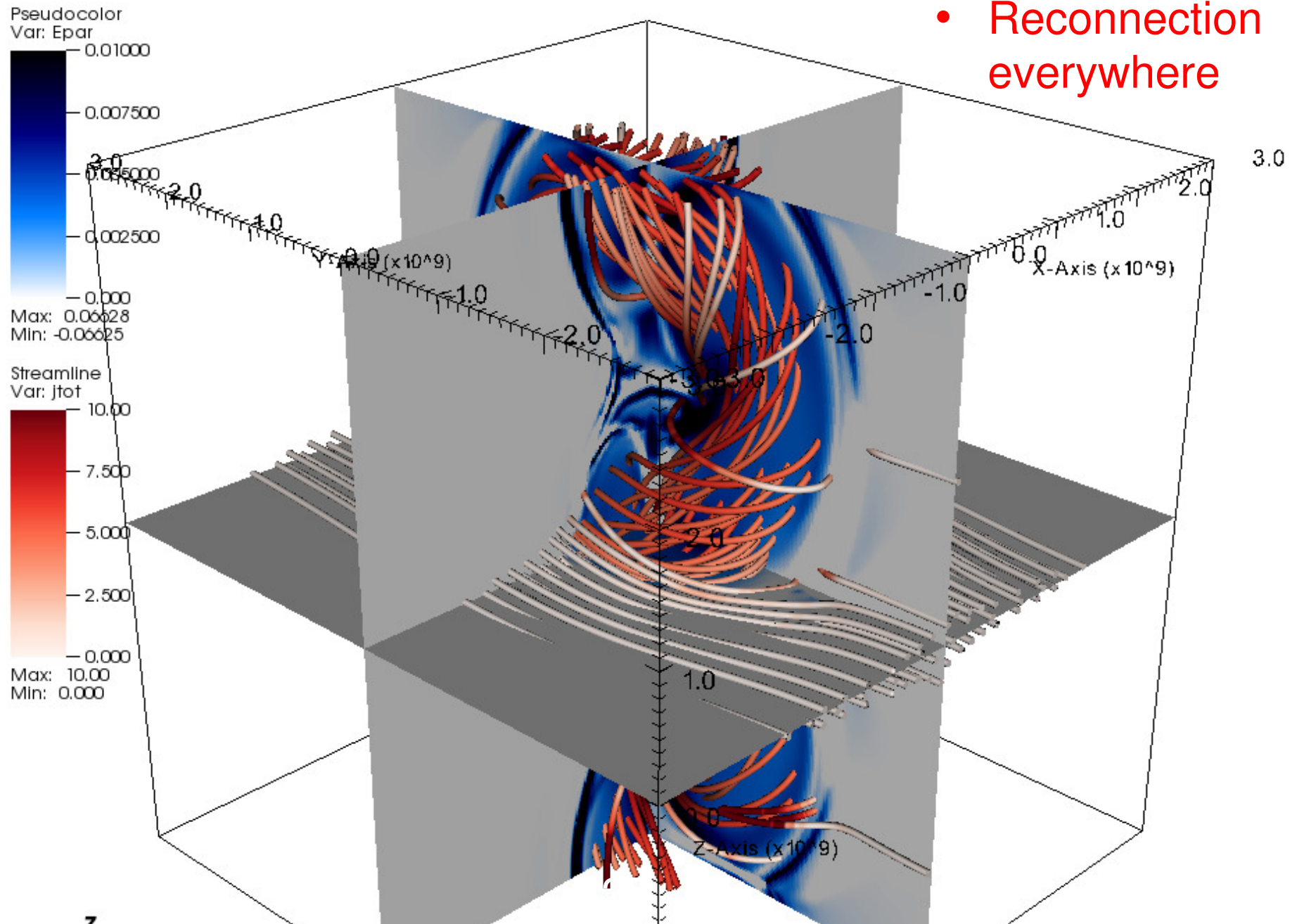
y

24

Cycle: 90

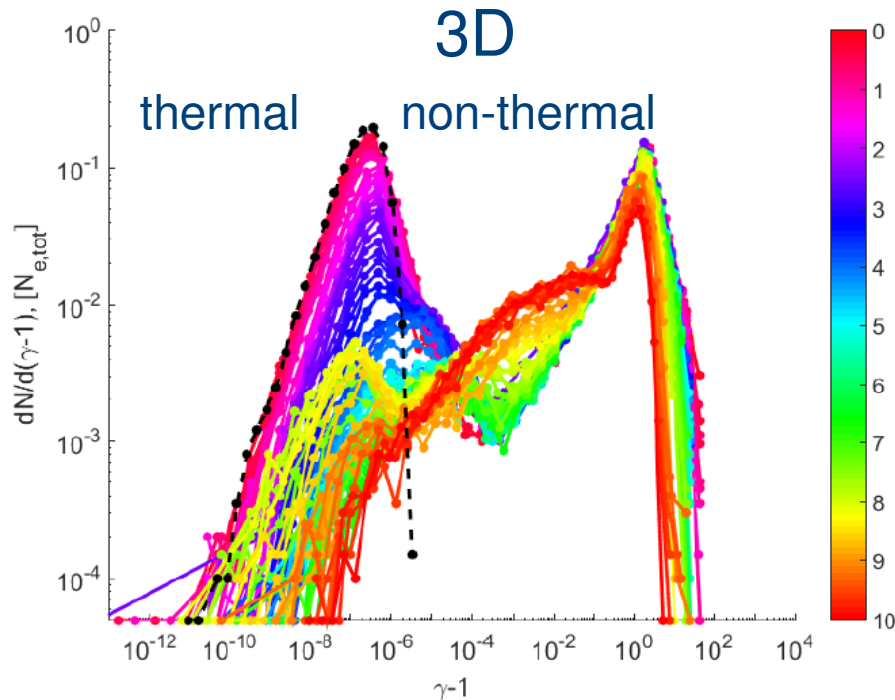
3D MHD effects

- Reconnection everywhere

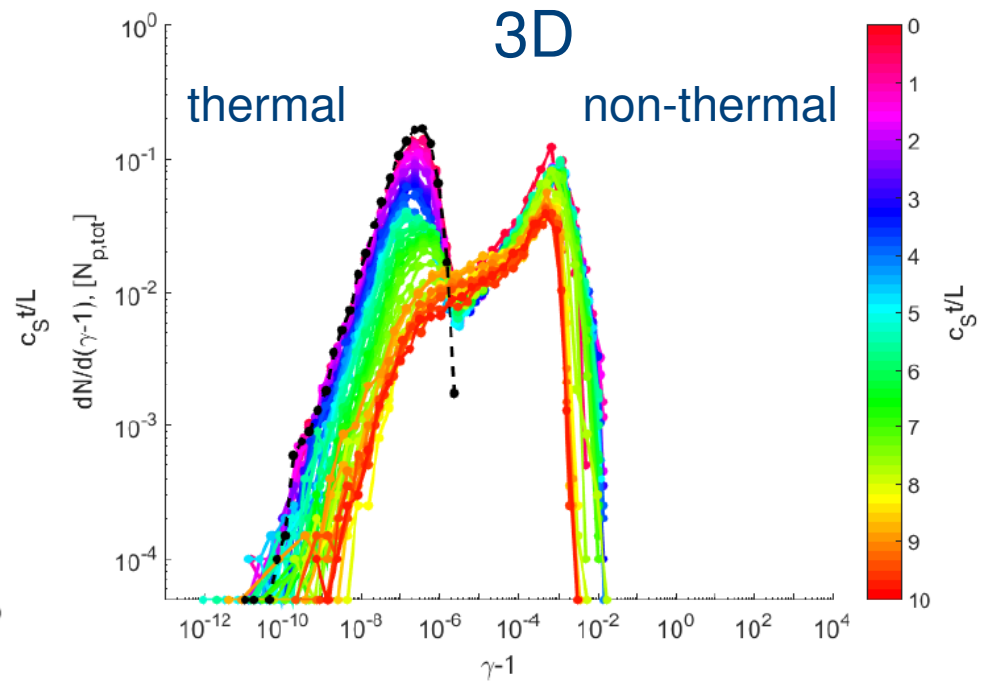


3D results: Energy distribution

20.000 Electrons

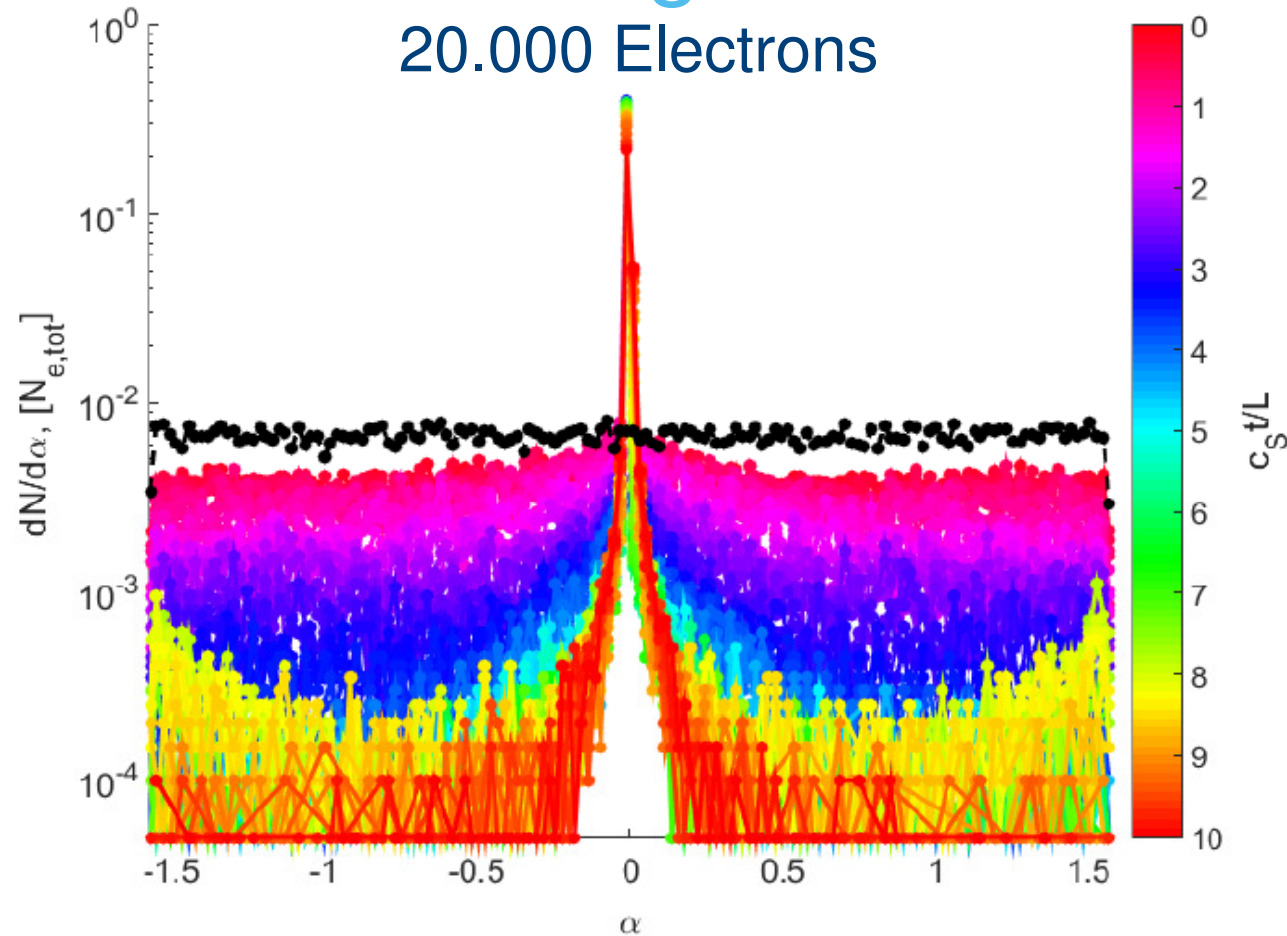


20.000 Protons



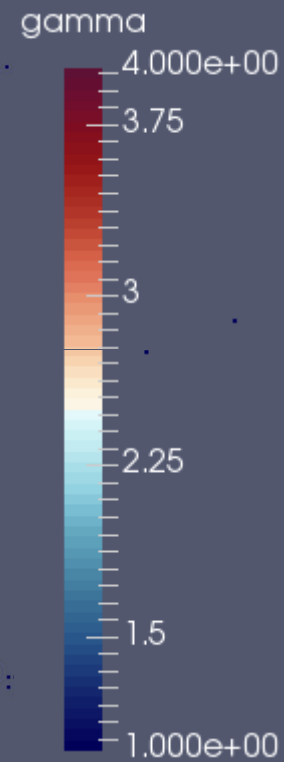
- Kink adds medium energy tail and redistributes particles in the thermal distribution
- Results confirmed for 200.000 electrons

3D results: Pitch angle distribution



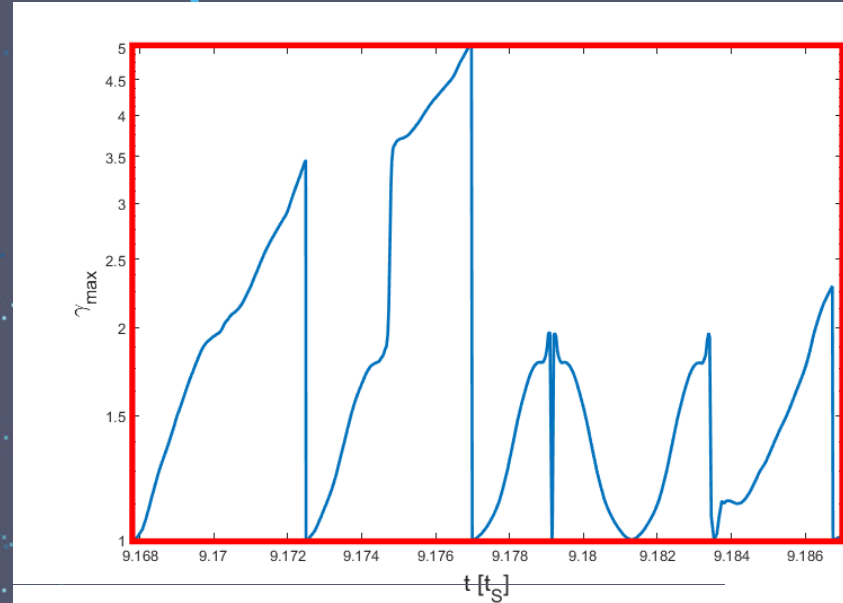
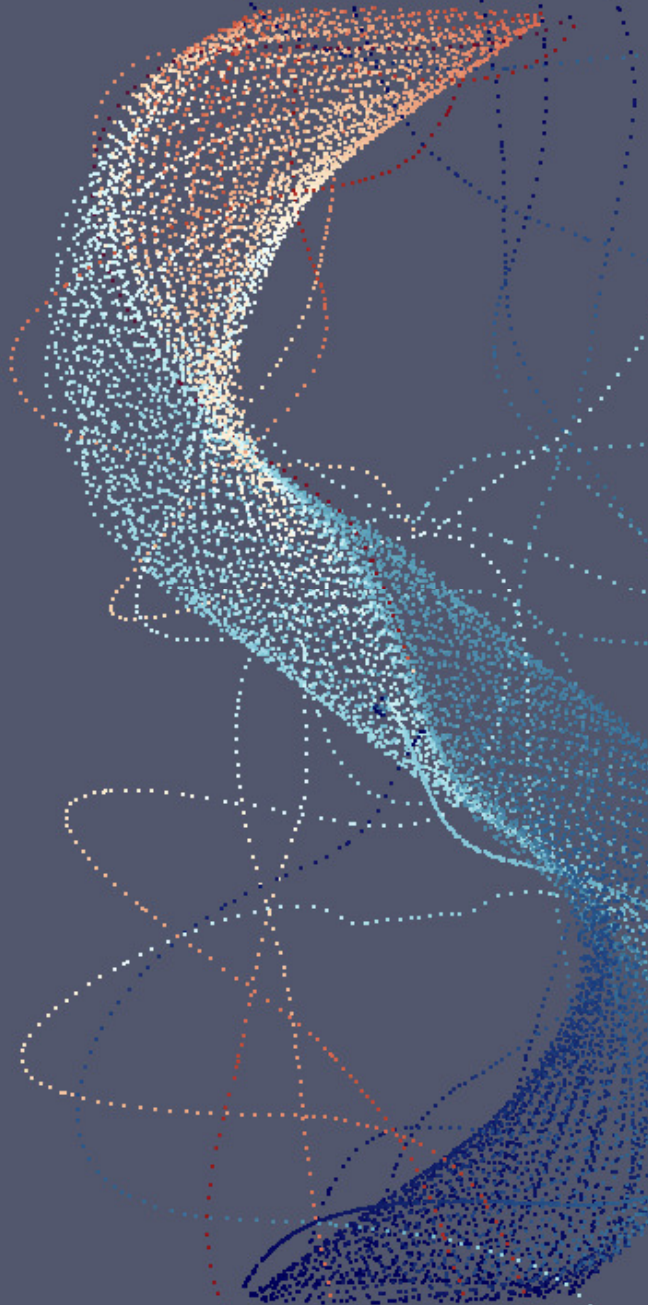
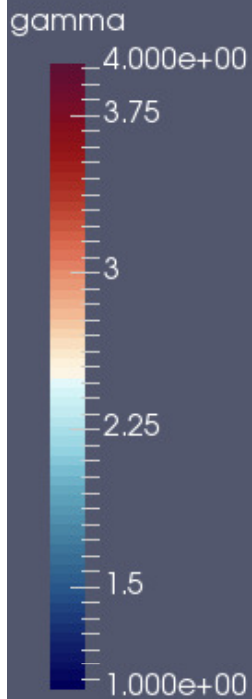
- Pitch angle strongly peaked around 0
- Acceleration in direction parallel to magnetic field

3D results: Spatial distribution



200.000 electrons at $t = 9$
coloured by Lorentz factor

3D results: individual particle orbit



Lorentz factor evolution

- Thermalised after cycle through current channel
- Expelled from current channel by kink
- Decelerates to thermal energy and re-accelerates

... But charged particles do affect fields!

